

## Thermal Physics: Problem Set #1

## Thermal Energy and the First Law

$$\Delta U = Q + W ; U_{\text{thermal}} = N \cdot f \cdot \frac{1}{2} kT ; PV = NkT ; C_X \equiv \left( \frac{Q}{\Delta T} \right)_X ; L \equiv \frac{Q}{m}$$

Due: Friday Jan. 16 by 6 pm

**Reading Assignment:** for Mon, 1.1-1.4 (20 pgs) (first law and ideal gas processes)  
 for Wed, 1.5-1.6 (17 pgs) (work, heat capacity, and latent heat)  
 for Fri, 2.1 (4 pgs) (two-state system and multiplicity)

**Overview:** Much of this first chapter should be something of a review. The reading is rather gentle, but some of the issues can be subtle, so be sure you understand what is being said. The first law is simply a statement of energy conservation, but we make a critical distinction about energy transfer via heat ( $Q$ ) and via work ( $W$ ). [By the way, there is an old argument about the signs in the 1st law. Schroeder takes the modern (symmetric) approach wherein both  $Q$  and  $W$  refer to energy transfers *to* the system]. A simple kinetic theory analysis provides a link between the total energy  $U$  and temperature of a classical ideal gas. Similarly, the classical mechanics definition of work as  $\vec{F} \cdot d\vec{r}$  allows us to compute the work associated with compressing or expanding a gas. We usually associate heat flow with a change in temperature and thus we define the heat capacity, for conditions of constant  $X$ , as  $C_X = Q/\Delta T$ . Our results for the ideal gas allow us to compute  $C_P$  and  $C_V$  for this system. When a system undergoes a phase transformation (*e.g.*, liquid→solid or gas→liquid) we have a heat flow without a temperature change. In this case we define a latent heat (at constant pressure) as the ratio of the heat flow to the mass of material that changes phase.

**Problem Assignment:** (9 problems total)

- 1.12 (Intermolecular distance in an ideal gas ... also estimate distance between molecules in liquid water which has density  $1.0 \text{ g/cm}^3$  ... give results in Å)
- \*1.16 (Barometric equation and the exponential atmosphere ... also determine the pressure at Hiram, OH: elevation = 382 m) [ **Richard** ]
- 1.17a,b (Real gas virial expansion)
- 1.22a-d (Effusion of a gas through a small hole)
- 1.28 (Time to boil water in a microwave ... assume a cup = 250 ml)
- 1.31 (Gas expansion with  $P/V=\text{constant}$ )
- \*1.36 (Adiabatic compression of air) [ **Andrew** ]
- 1.41 (Measuring heat capacity using a Styrofoam cup calorimeter ... reverse words "lost" and "gained" in parts a and b)
- \*1.47 (Cooling hot tea with ice) [ **Christian** ]

\*denotes a problem to be presented in class